

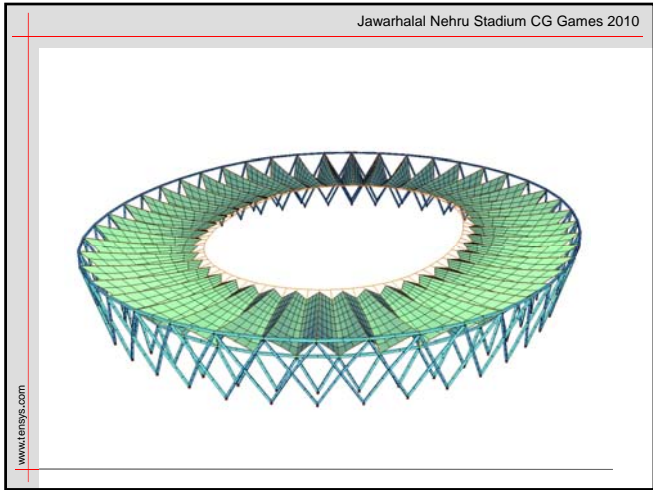
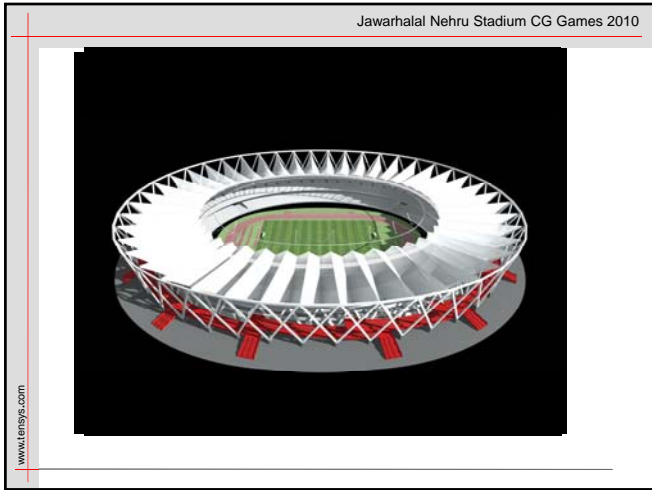
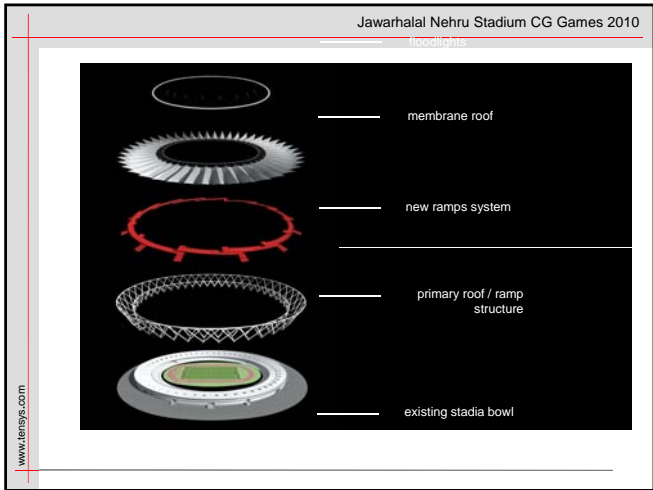
Stretching boundaries of membrane and film

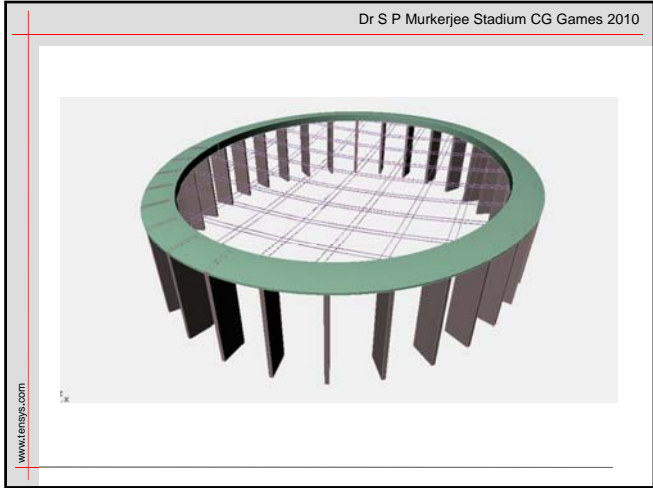
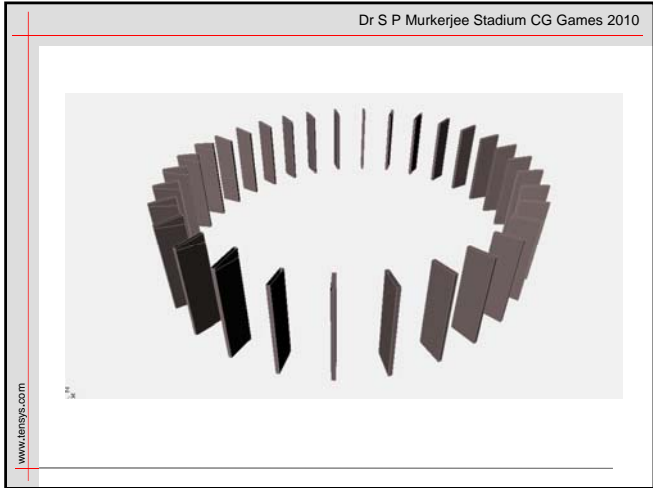
Some Recent Projects

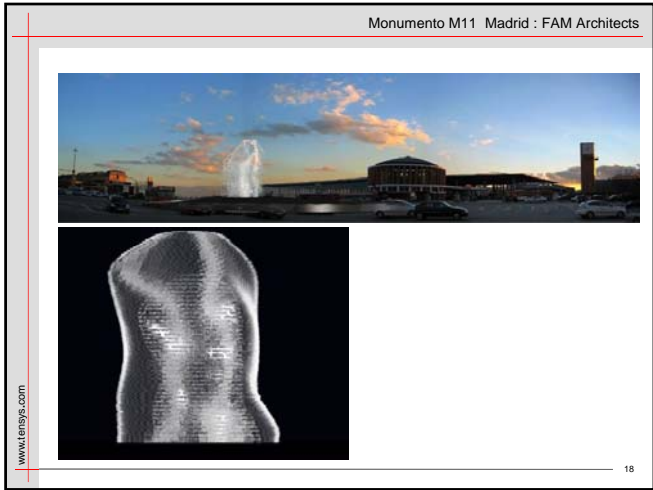
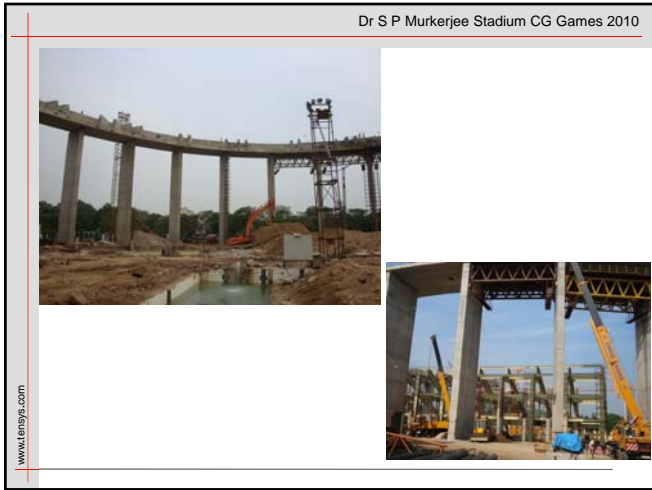
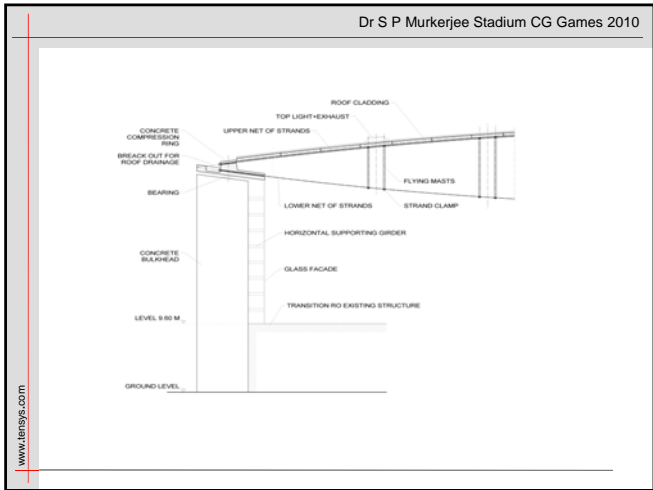
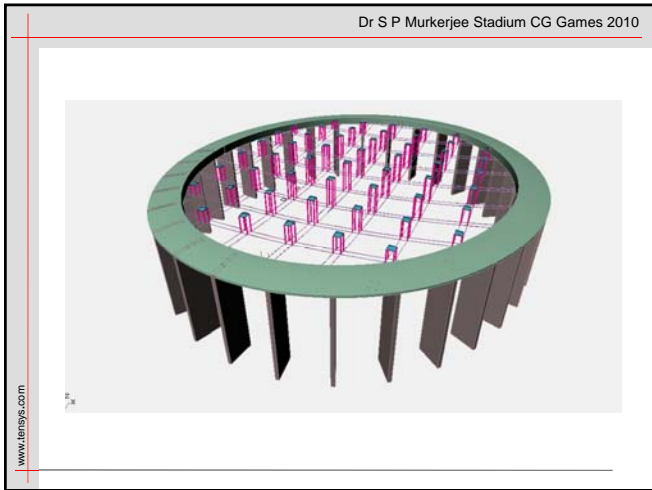
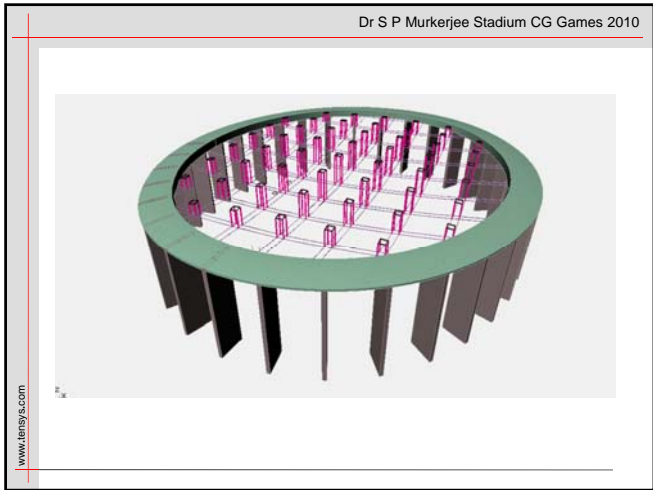
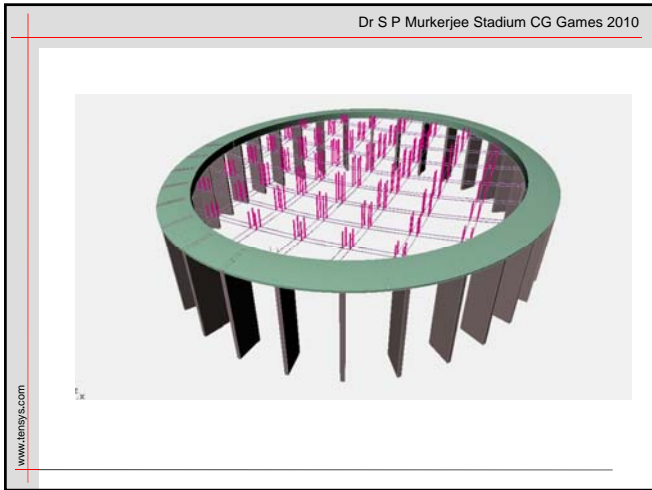
Peter Lim
David Wakefield

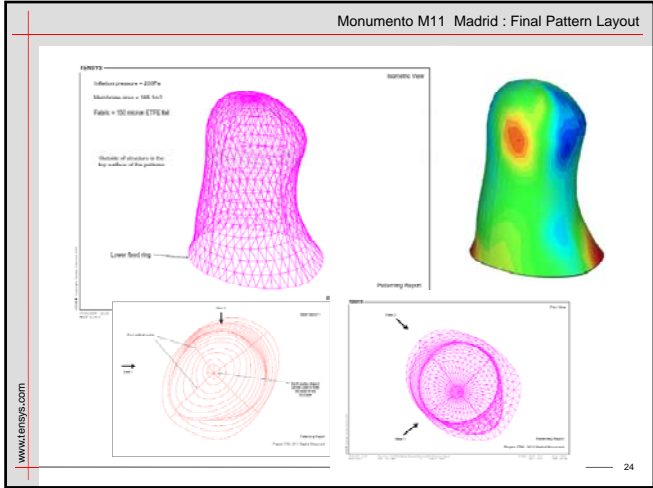
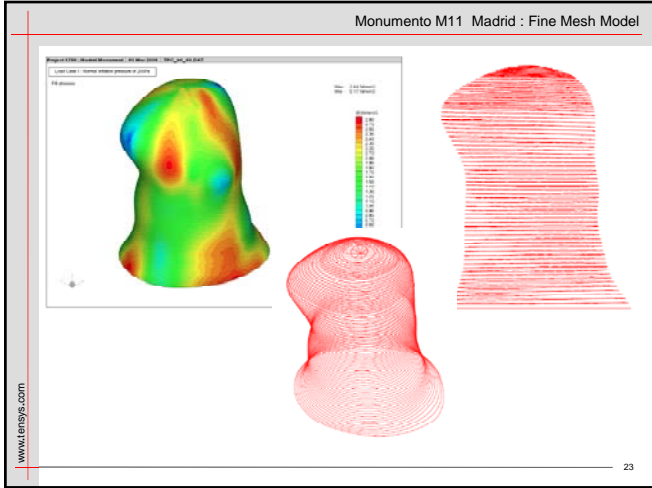
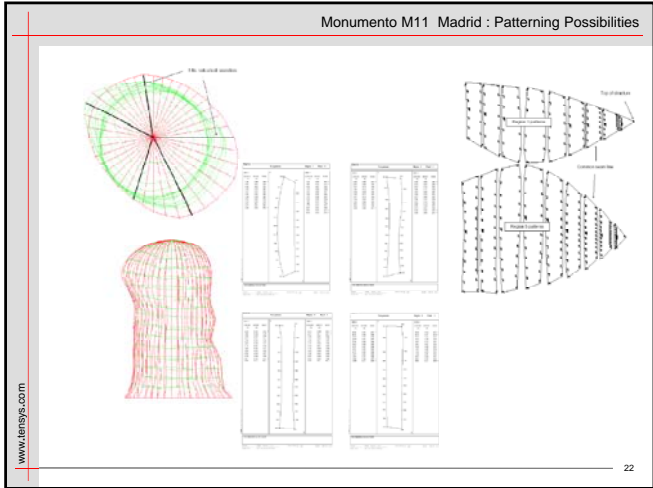
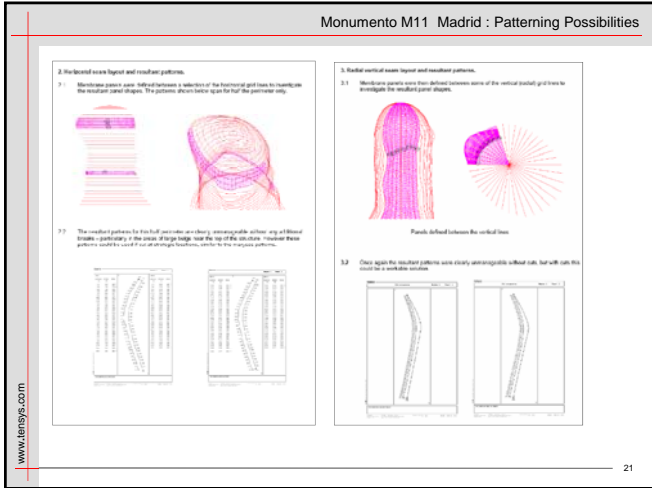
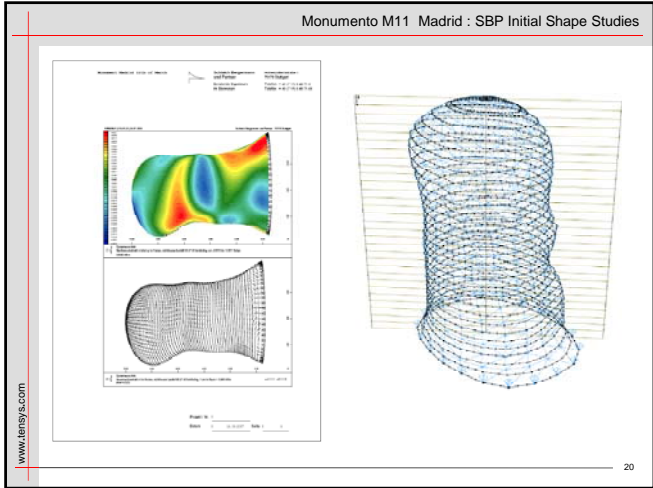
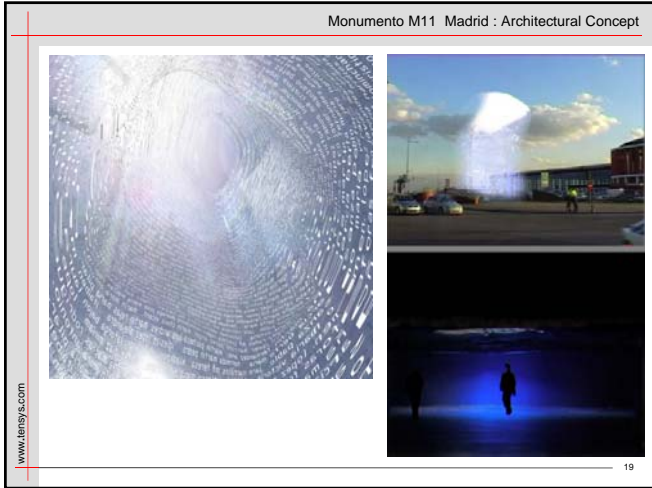
The slide features a large wireframe sphere on the left. To its right is the TENSYS logo. Below the logo are several small images: a colorful topographic map, a close-up of a curved membrane structure, and a white dome-like structure. At the bottom, there are more images showing a blue and white curved structure and a red curved structure.

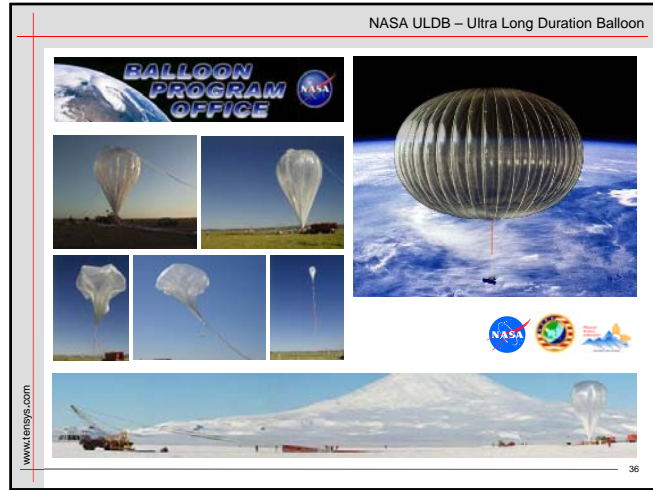
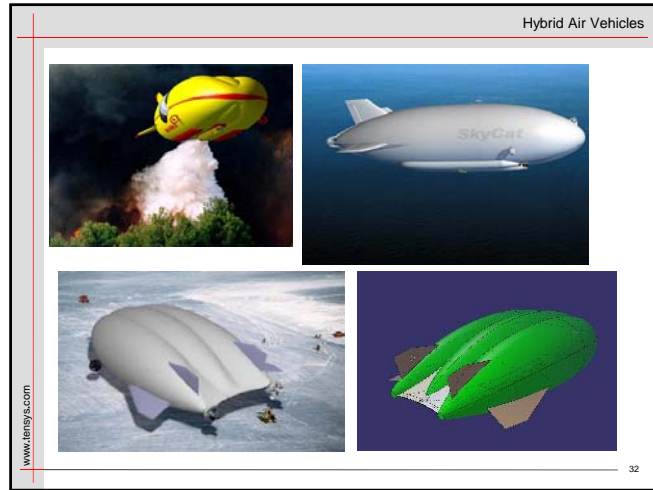
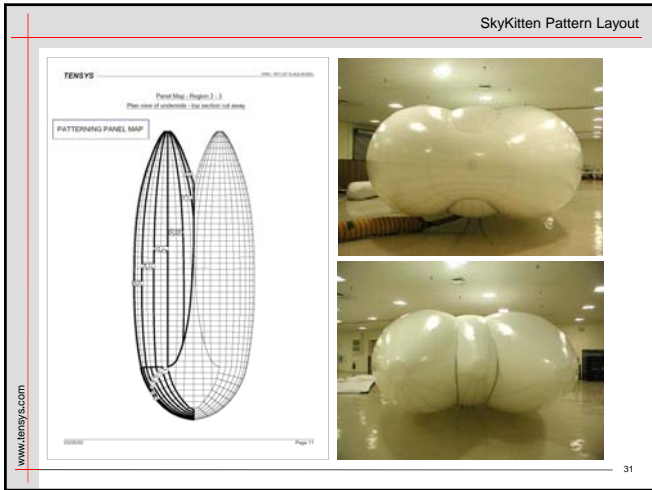
This slide is a collage of architectural images. It includes a wide-angle shot of a large stadium at night, a close-up of a white membrane structure, a large red curved structure, a tall tower with a curved facade, and a night view of a city with lights.











NASA ULDB Deployment Anomaly

NASA Ultra Long Duration Balloon Program

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Pumpkin Balloon Generation 1

Initial Spherical Topology

Initial Topology generated between gores on spherical surface. Membrane interpolated linearly between gores

Number of gores, mesh density and tendon length defined in the data generator for automatic generation of topology data files

Intermediate Form : Specify inflation pressure and membrane warp and fill prestress for required lobe geometry

Restrain tendons on spherical geometry and generate equilibrium lobe geometry (this form finding stage is necessary to put tension into the tendons. Otherwise the whole membrane envelope will collapse inwards towards a cylinder with the radii of a single lobe)

Intermediate Form : Tendons fixed and stress controlled lobes

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Pumpkin Balloon Generation 2

Release elastically controlled tendons for final form find. Pumpkin fully restrained at North Pole node, and restrained against horizontal movement only at South Pole.

For **constant radius lobes**, the warp (circumferential) prestress was held constant and the fill prestress set to zero.

For a **constant lobe angle** a under inflation pressure P_{int} , the specified warp prestress Sw is related to the local span D_L between tendons :

$$Sw = P_{int} \times D_L / (2 \sin(\alpha/2))$$

Once required form has been achieved, introduce membrane elastic properties for elastic control, rather than specified stress control as used for form generation. Individual element unstressed geometry is calculated such that current form and stress distribution is maintained.

Constant Lobe Angle
Alpha = 170deg.

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Cutting Pattern Geometry into iTENS

- Software extended for input of pre-defined cutting pattern geometry
- Unstressed flat panel geometry from cutting patterns
- Flat panel boundary obtained by spline data fit through original pattern geometry
- Unstressed film geometry then mapped onto single-gore or full pumpkin balloon models
- Unstressed tendon lengths taken as fully compatible with cutting patterns
- Mesh refinement may be adjusted as required

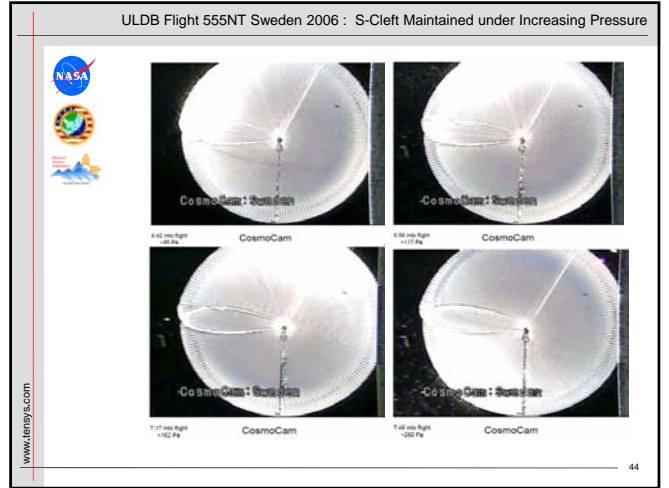
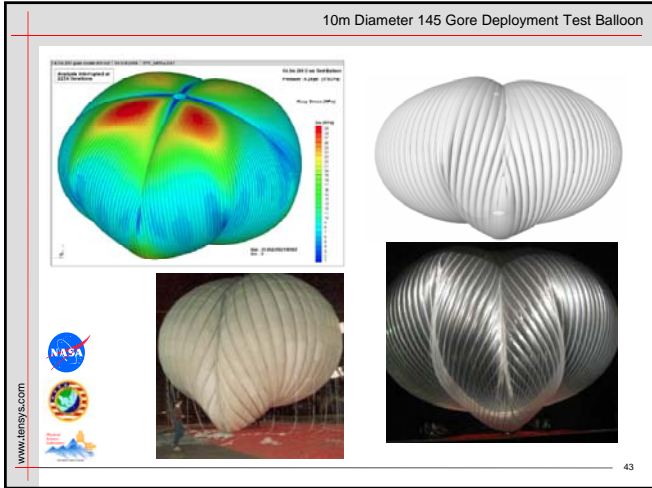
40

Development of Overall Geometric Instability with Increasing Pressure

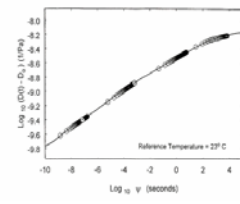
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64 Gore Pumpkin Instability : Julian Nott's Endeavour

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Transient Viscoelastic Creep Compliance : The Master Curve



For linear viscoelastic response at low stresses the Master Curve is a representation of creep compliance as a factor of time.

The effects of temperature and higher stresses may be accommodated by shifts in the time scale of the master curve.

Current compliance at any time comprises an elastic portion D_0 , independent of time and temperature, and a transient component $\Delta D(\psi)$ where ψ is the reduced time that incorporated the effects of temperature and stress :

$$D(\psi) = D_0 + \Delta D(\psi)$$

The transient component may be expressed as a series of exponentials in the reduced time :

$$\Delta D(\psi) = \sum_{r=1}^N A_r \left(1 - e^{-\lambda_r \psi} \right) \quad \lambda_r = 10^{16-r}$$


Where S_i relates the transient compliance in any direction to that in the machine direction $\Delta D_i = S_i \Delta D$ and g_i is a function of stress

The three strains due to constant biaxial stress may then be expressed :

$$\epsilon_1 = D_0(\sigma_1 + S_{12}\sigma_2) + g_1 \Delta D(\psi)(\sigma_1 + S_{12}\sigma_2)$$

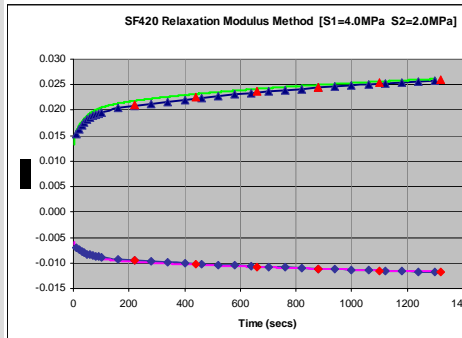
$$\epsilon_2 = D_0(S_{21}\sigma_1 + S_{22}\sigma_2) + g_2 \Delta D(\psi)(S_{21}\sigma_1 + S_{22}\sigma_2)$$


$$\epsilon_0 = D_0 S_{00} \sigma_0 + g_0 \Delta D(\psi) S_{00} \sigma_0$$

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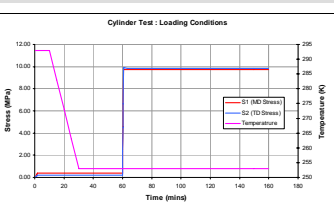
Incremental Relaxation Model : Specified Stress

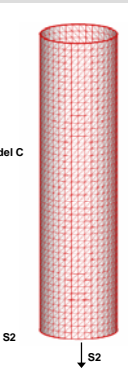
SF420 Relaxation Modulus Method [S1=4.0MPa S2=2.0MPa] 293K




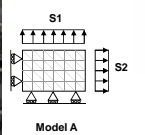
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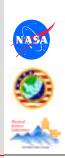
Simulation of Cylinder Biaxial Test



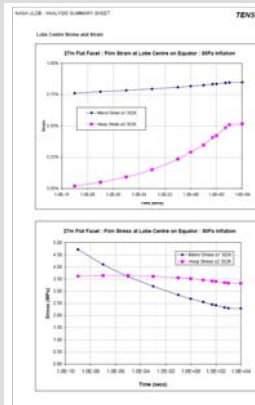


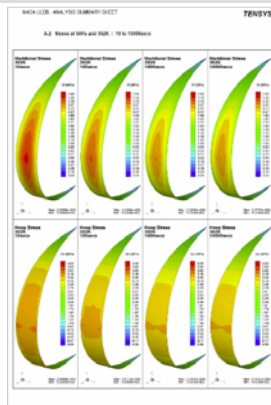
Model C





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27m Test Balloon : Single Gore Viscoelastic Analysis

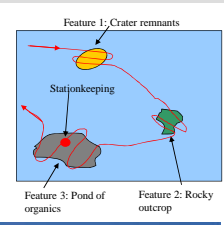






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Titan Aerobot









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